

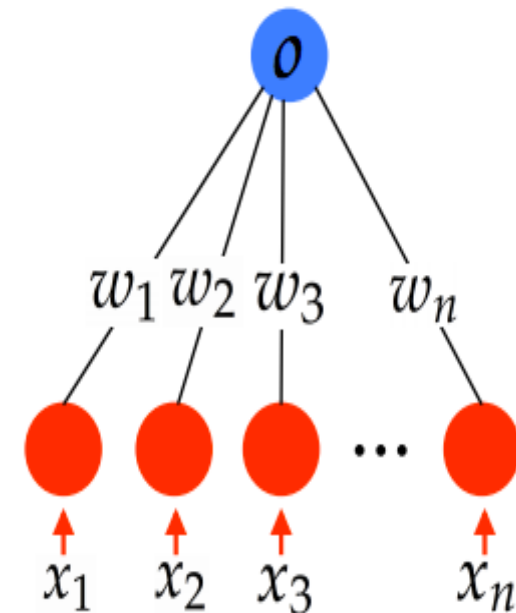
LAB 14: PERCEPTRON CLASSIFICATION

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[illegible]

CONTEXT: PERCEPTRON

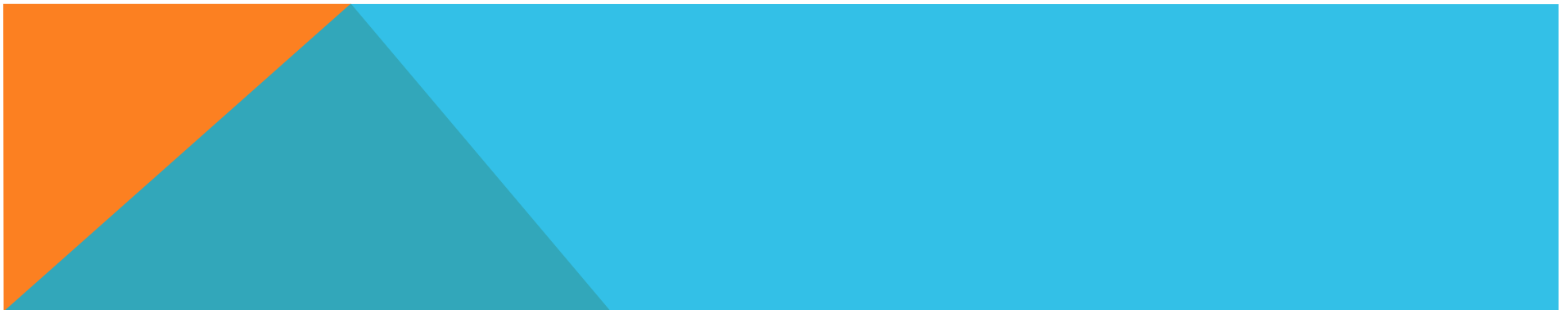
- Our perceptron machine learning algorithm = *supervised* learning algorithm
 - We know the desired output, and “train” the perceptron based on how closely its output is to our desired one with each iteration
- Perceptron:
 - n input neurons, each with a synapse, all leading to a single output
 - Each input neuron receives an input x_i , the effect of the stimulation on the output neuron depending on synaptic strength w_i .
 - Synaptic strengths are updated with each iteration of training stimulation



CONTEXT: TRAINING ROUTINE

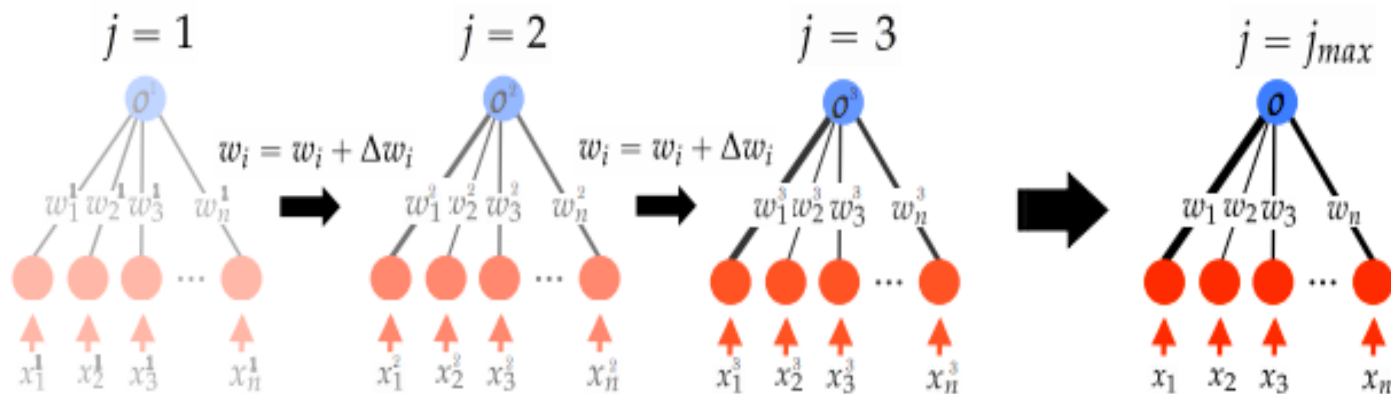
- Binary inputs/outputs
 - Each input neuron is either stimulated ($x_i = 1$) or not ($x_i = 0$), and the output (weighted sum of inputs) is either 1 or 0.
- Neural firing (output $o = 1$ or 0)
 - All-or-nothing, represented by 1-or-0
 - If weighted sum of inputs exceeds threshold of 0, the output neuron will fire ($o = 1$), otherwise ($o = 0$)

$$o^j = f\left(\sum_{i=1}^n w_i x_i\right) \text{ where } f(\theta) = \begin{cases} 1, & \text{if } \theta > 0. \\ 0, & \text{if } \theta \leq 0. \end{cases}$$



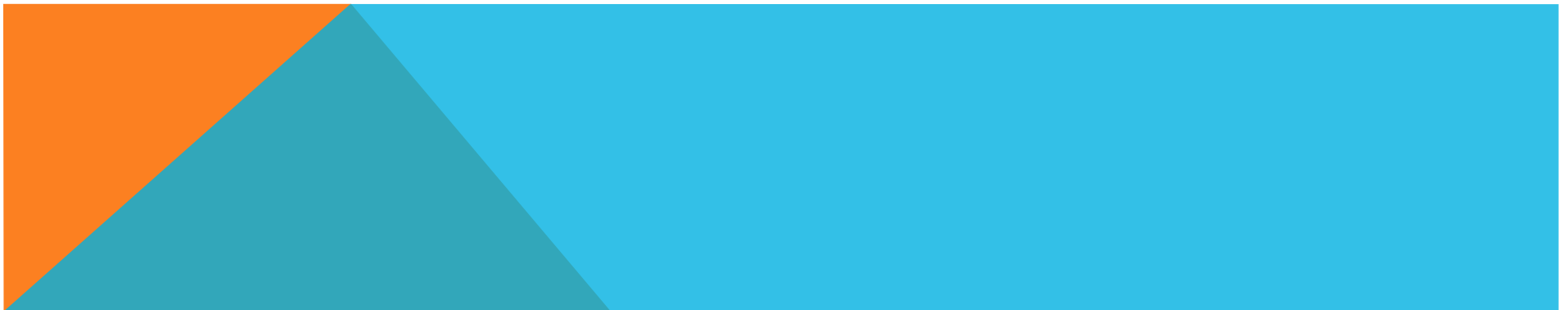
CONTEXT: LEARNING ALGORITHM

- For each iteration j , the perceptron calculates the output based on the input vector combos of the neural inputs and synaptic weights, then updates based on difference between o and the desired output y .



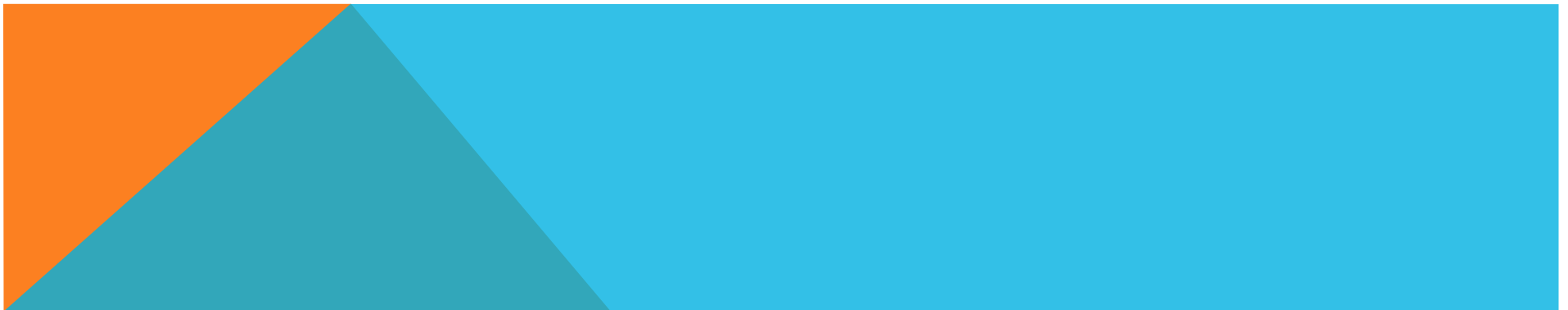
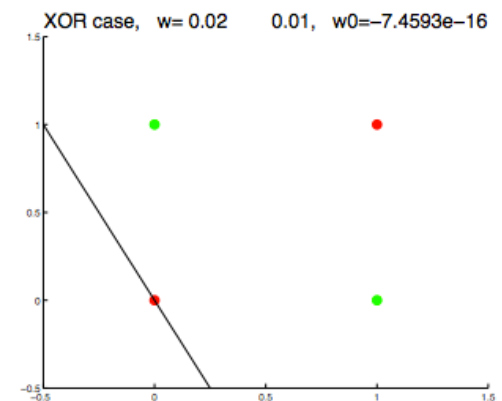
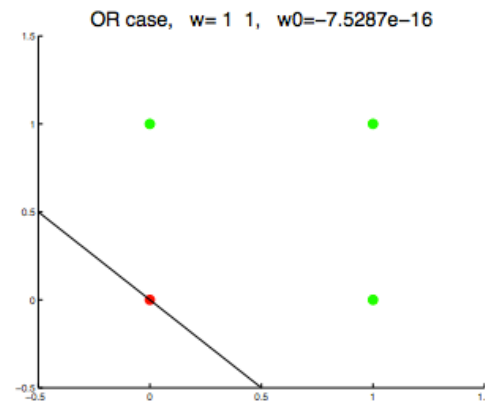
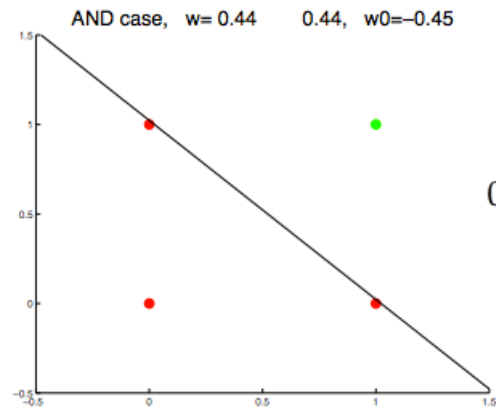
PROJECT: CLASSIFICATION PROBLEMS

- Use learning algorithm to solve three classification problems
 - AND: all input neurons must be stimulated to fire
 - OR: at least one input neuron must be stimulated to fire
 - XOR: exactly one input neuron must be stimulated to fire
- Seek the vector of weights such that each classification's condition for firing is met
- Project Outline:
 1. **pdrive (driver)**
 - Run the function perceptron on the the AND, OR, XOR problems
 - Visualize the solutions given by perceptron
 2. **$[w, w0] = \text{perceptron}(x, y)$**
 - x = number of different inputs
 - y = desired outputs for each combination of inputs
 - Code the perception learning algorithm



FUNCTION PDRIVE

1. Call the function `perceptron` to run on the AND, OR, XOR problems
2. Visualize the solutions from `perceptron` using a scatter plot and color-coding the input pattern



FUNCTION $[W, W_0] = \text{PERCEPTRON}(X, Y)$

1. Code the learning algorithm
2. Algorithm should accommodate an arbitrary $\text{length}(x)$ and pass each $x(i, :)$ for $i=1:\text{length}(x)$ over $j_{\max} = 1000$ iterations
3. Update weights until desired output is reached
 - w = vector of correct weights for each synapse
 - w_0 = bias bit; assigned to any input that is always 1

